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# Modelling and Simulation of Power Systems with Grid-Connected Converters in OpenModelica

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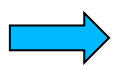
## Outline

1. New challenges in power systems simulation
2. Test case and Modelica models implementation
3. OpenModelica vs Simulink simulation performance
4. Conclusions and future work

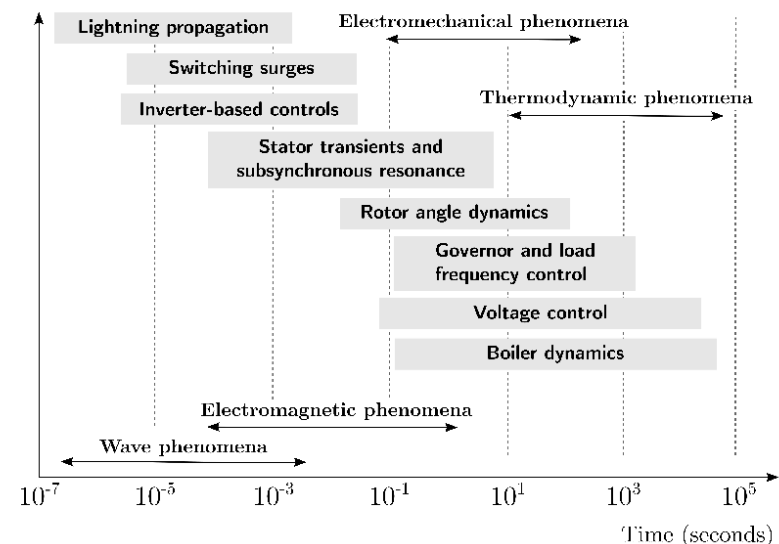
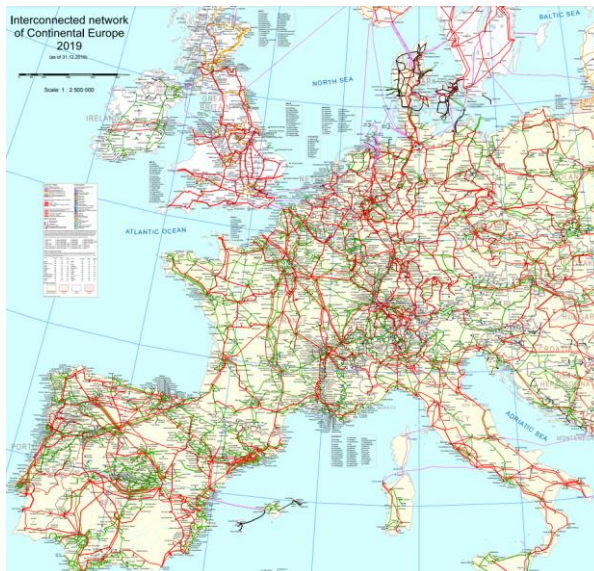
## New challenges

The power system is evolving from a well-known and predictable behaviour to a more complex, unpredictable and numerically-driven system.

- Increasing penetration of power electronic devices
- Open and flexible simulation environments crucial to deal with new challenges
- Complex systems → increasing computational burden



**Complete interoperability between power system actors require common modelling and simulation tools**



## Traditional approach and current situation

### **Closed architecture and proprietary tools**

- Use imperative programming languages (FORTRAN, C, C++...).
- Efficient but large sets of hard-coded data inaccessible to users.
- Internal model representation difficult to understand and share.
- Strong coupling between the solver and the model.
- Solver- and implementation-dependent black-box models.
- Simulation results inconsistent between tools (different assumptions, simplifications, modelling philosophy)

## Traditional approach and current situation

Data exchange between TSOs thanks to the Common Grid Model Exchange Standard (CGMES).

- Sufficient for static load flow studies and parametric data exchange.

However,

- Unsuitable to exchange dynamic models for time-domain simulations.
- The mathematical representation of the model is not shared explicitly.
- Different software give different results for the same data set.
- Final model implementation and mathematical solving methods are inaccessible black-box models.



**Both data and equations exchange appears to be the only viable solution in the long term**

## Traditional approach and current situation

- Limited collaboration, interoperability, portability, transparency and flexibility



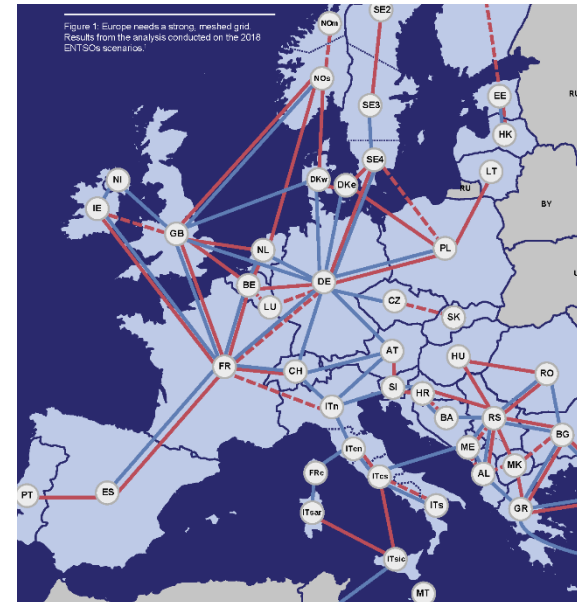
- Necessity of a common language for dynamic models



Development of common standardized languages

Development of Open Source Software

**OpenModelica**



# Modelica

Promising approach for power system modelling and simulation

**Increasing interest in the power system community to use Modelica as the common standardized language**

- Excellent candidate to provide an open standard implementation
- Disconnect the dependency between the power system tool and the power system model
- Decoupling of the solver and the model
- Environments to transform Modelica code into executable simulation code.
  - Open-source: **OpenModelica**, **Dynawo**.

**OpenModelica**

**DYNAWO**

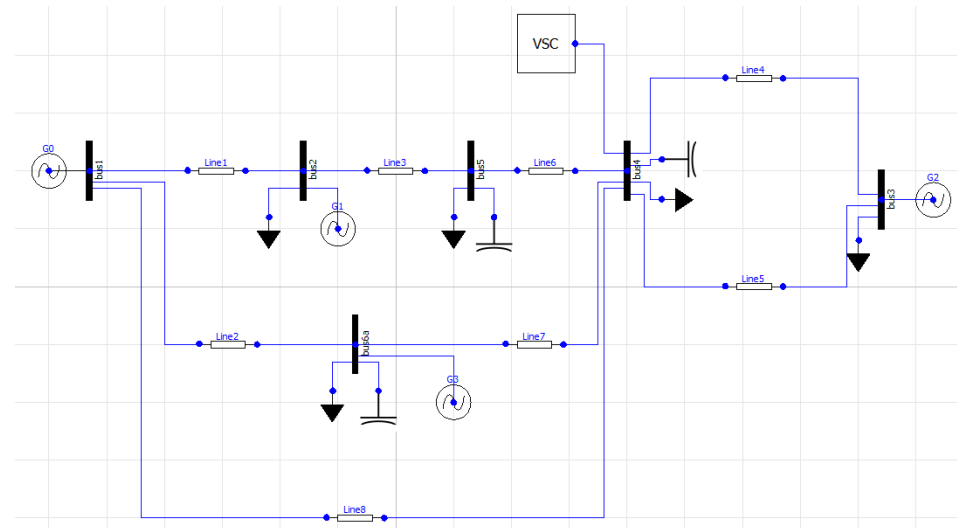
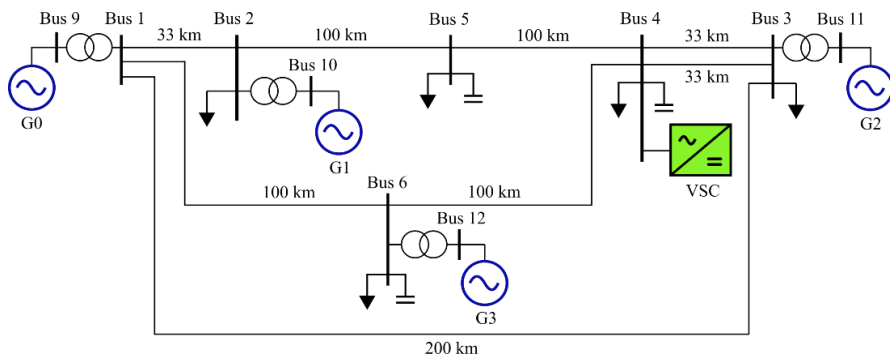
# Test case: CIGRE HV transmission benchmark system

Assess OpenModelica's

- Robustness
- Flexibility
- Accuracy
- Computational performance

EMT-type modelling and simulation

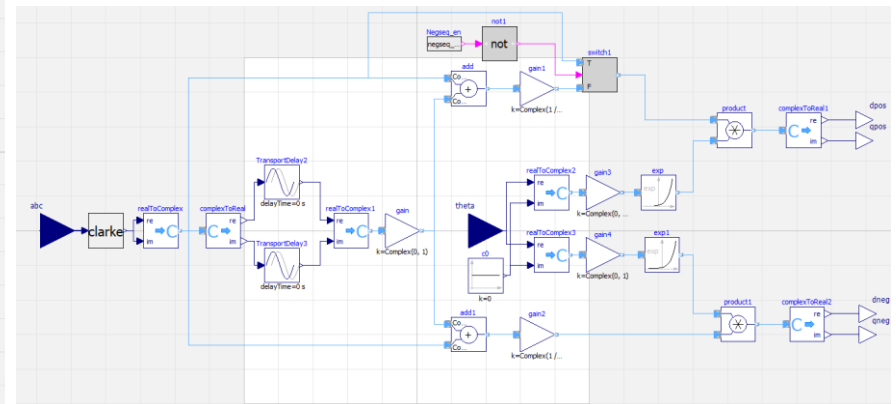
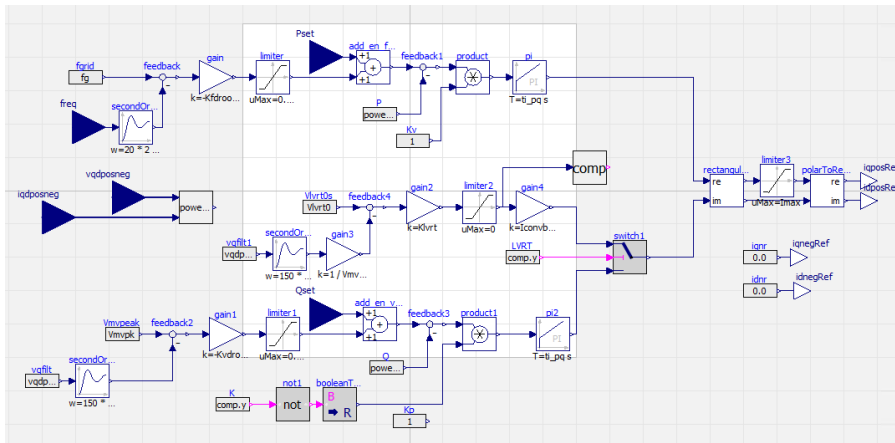
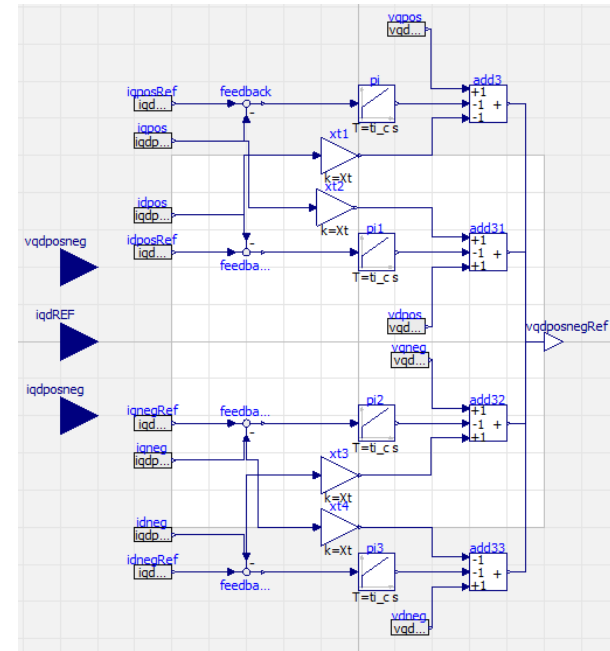
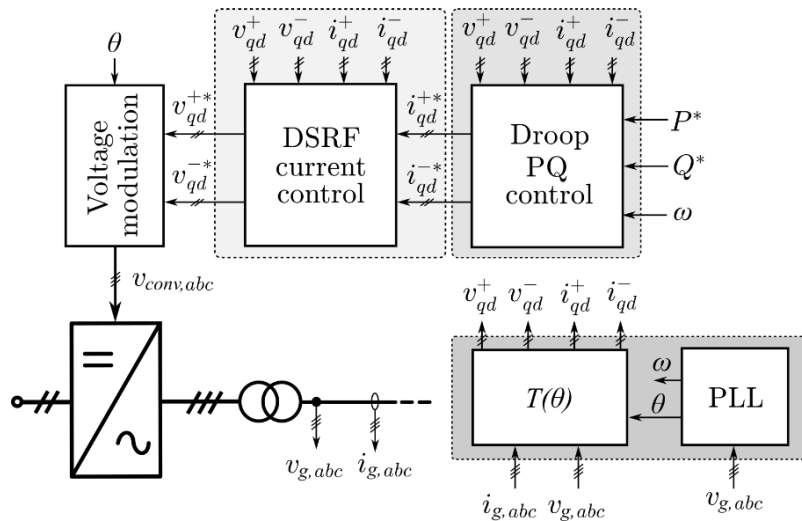
- Components defined by their differential equations → high-level accuracy
- Represent non-linearities
- Frequency dependant effects
- Unbalanced networks



Adaptation of the CIGRE European HV transmission network benchmark system



# 2L-VSC Modelica implementation



# Synchronous machine Modelica implementation

```

model GeneratorSynchronousThreePhase "Model of a three-phase synchronous generator"
  Modelica.Electrical.MultiPhase.Interfaces.PositivePlug terminal(pin.v(start={VA0, VB0, VC0}), pin.i(start={IA0, IB0, IC0})) "Three-phase terminal with v in kV and i in kA (receptor convention)"

  parameter Types.VoltageModule UNom "Nominal voltage in kV";
  parameter Types.ActivePower PNomAlt "Nominal active power in MW (alternator)";
  parameter Types.Time H "Kinetic constant = kinetic energy / rated power in s";
  parameter Types.PerUnit RaPPu "Armature resistance in p.u. (base UNom, SNom)";
  parameter Types.PerUnit LdPPu "Direct axis stator leakage in p.u. (base UNom, SNom)";
  parameter Types.PerUnit MdPPu "Direct axis mutual inductance in p.u. (base UNom, SNom)";
  parameter Types.PerUnit LDPPu "Direct axis damper leakage in p.u. (base UNom, SNom)";
  parameter Types.PerUnit RdPPu "Direct axis damper resistance in p.u. (base UNom, SNom)";
  parameter Types.PerUnit LfPPu "Excitation winding leakage in p.u. (base UNom, SNom)";
  parameter Types.PerUnit RfPPu "Excitation winding resistance in p.u. (base UNom, SNom)";
  parameter Types.PerUnit LqPPu "Quadrature axis stator leakage in p.u. (base UNom, SNom)";
  parameter Types.PerUnit MqPPu "Quadrature axis mutual inductance in p.u. (base UNom, SNom)";
  parameter Types.PerUnit LQ1PPu "Quadrature axis 1st damper leakage in p.u. (base UNom, SNom)";
  parameter Types.PerUnit RQ1PPu "Quadrature axis 1st damper resistance in p.u. (base UNom, SNom)";
  parameter Types.PerUnit LQ2PPu "Quadrature axis 2nd damper leakage in p.u. (base UNom, SNom)";
  parameter Types.PerUnit RQ2PPu "Quadrature axis 2nd damper resistance in p.u. (base UNom, SNom)";
  // Mutual inductances saturation parameters, Shackshaft modelisation
  parameter Types.PerUnit md "Parameter for direct axis mutual inductance saturation modelling";
  parameter Types.PerUnit mq "Parameter for quadrature axis mutual inductance saturation modelling";
  parameter Types.PerUnit nd "Parameter for direct axis mutual inductance saturation modelling";
  parameter Types.PerUnit nq "Parameter for quadrature axis mutual inductance saturation modelling";
  // Electrical variables in dq frame of angle theta
  Types.PerUnit udPu(start = Ud0Pu) "Voltage of direct axis in p.u (base UNom)";
  Types.PerUnit uqPu(start = Uq0Pu) "Voltage of quadrature axis in p.u (base UNom)";
  Types.PerUnit idPu(start = Id0Pu) "Current of direct axis in p.u (base UNom, SNom) (generator convention)";
  Types.PerUnit iqPu(start = Iq0Pu) "Current of quadrature axis in p.u (base UNom, SNom) (generator convention)";
  Types.PerUnit iDPu(start = 0) "Current of direct axis damper in p.u (base UNom, SNom) (generator convention)";
  Types.PerUnit iQ1Pu(start = 0) "Current of quadrature axis 1st damper in p.u (base UNom, SNom) (generator convention)";
  Types.PerUnit iQ2Pu(start = 0) "Current of quadrature axis 2nd damper in p.u (base UNom, SNom) (generator convention)";
  Types.PerUnit ifPu(start = If0Pu) "Current of excitation winding in p.u (base UNom, SNom) (generator convention)";
  // Magnetic fluxes
  Types.PerUnit lambdadPu(start = Lambdad0Pu) "Flux of direct axis in p.u (base UNom)";
  Types.PerUnit lambdaqPu(start = Lambdaq0Pu) "Flux of quadrature axis in p.u (base UNom)";
  Types.PerUnit lambdaADPu(start = LambdaAD0Pu) "Flux of direct axis damper in p.u (base UNom)";
  Types.PerUnit lambdaAFu(start = LambdaAF0Pu) "Flux of excitation winding in p.u (base UNom)";
  Types.PerUnit lambdaQ1Pu(start = LambdaQ10Pu) "Flux of quadrature axis 1st damper in p.u (base UNom)";
  Types.PerUnit lambdaQ2Pu(start = LambdaQ20Pu) "Flux of quadrature axis 2nd damper in p.u (base UNom)"; // Mechanical variables and torques
  Types.Angle theta(start = Theta0) "Rotor angle: angle between machine rotor frame and port phasor frame";
  Types.PerUnit cePu(start = Cm0Pu) "Electrical torque in p.u (base SNom/OmegaNom) (generator convention)";
  Types.PerUnit cmPu(start = Cm0Pu) "Mechanical torque in p.u (base SNom/OmegaNom) (generator convention)";
  Types.AngularVelocity omegaPu(start = SystemBase.omega0Pu) "Angular frequency in p.u. (base OmegaNom)";
  // Saturated mutual inductances and related variables
  Types.PerUnit MdSatPPu(start = MdSat0PPu) "Direct axis saturated mutual inductance in p.u.";
  Types.PerUnit MqSatPPu(start = MqSat0PPu) "Quadrature axis saturated mutual inductance in p.u.";
  Types.PerUnit lambdaAirGapPu(start = LambdaAirGap0Pu) "Total air gap flux in p.u.";
  Types.PerUnit lambdaADPu(start = LambdaAD0Pu) "Common flux of direct axis in p.u.";
  Types.PerUnit lambdaAQPu(start = LambdaAQ0Pu) "Common flux of quadrature axis in p.u.";
  Types.PerUnit mdsPu(start = Mds0Pu) "Direct axis saturated mutual inductance in the case when the total air gap flux is aligned on the direct axis in p.u.";
  Types.PerUnit mqsPu(start = Mqs0Pu) "Quadrature axis saturated mutual inductance in the case when the total air gap flux is aligned on the quadrature axis in p.u.";
  :Unit cos2Eta(start = Cos2Eta0) "Common flux of direct axis contribution to the total air gap flux in p.u.";
  :Unit sin2Eta(start = Sin2Eta0) "Common flux of quadrature axis contribution to the total air gap flux in p.u.";
  :Unit miPu(start = Mi0Pu) "Intermediate axis saturated mutual inductance in p.u.";

```

Parameters

- dq balanced wye grounded
- Field winding effects
- 2 damper windings q axis
- 1 damper winding d axis
- Saturations represented

Variables

# Synchronous machine Modelica implementation

```

equation

terminal.pin[1].i + terminal.pin[2].i + terminal.pin[3].i = 0 ;

// dq0 transform applied to the voltage
udPu = 2/3*Math.cos(theta)*terminal.pin[1].v/Vb + 2/3*Math.cos(theta-2*Constants.pi/3)*terminal.pin[2].v/Vb + 2/3*Math.cos(theta+2*Constants.pi/3)*terminal.pin[3].v/Vb;
uqPu = - 2/3*Math.sin(theta)*terminal.pin[1].v/Vb - 2/3*Math.sin(theta-2*Constants.pi/3)*terminal.pin[2].v/Vb - 2/3*Math.sin(theta+2*Constants.pi/3)*terminal.pin[3].v/Vb;
// dq0 transform applied to the current
idPu = - 2/3*Math.cos(theta)*terminal.pin[1].i/Ib - 2/3*Math.cos(theta-2*Constants.pi/3)*terminal.pin[2].i/Ib - 2/3*Math.cos(theta+2*Constants.pi/3)*terminal.pin[3].i/Ib;
iqPu = 2/3*Math.sin(theta)*terminal.pin[1].i/Ib + 2/3*Math.sin(theta-2*Constants.pi/3)*terminal.pin[2].i/Ib + 2/3*Math.sin(theta+2*Constants.pi/3)*terminal.pin[3].i/Ib;

// Flux linkages
lambda_dPu = - (MdSatPPu + LdPPu) * idPu + MdSatPPu * ifPu + MdSatPPu * iDPu;
lambda_fPu = - MdSatPPu * idPu + (MdSatPPu + LfPPu) * ifPu + MdSatPPu * iDPu;
lambda_DPu = - MdSatPPu * idPu + MdSatPPu * ifPu + (MdSatPPu + LDPPu) * iDPu;
lambda_dqPu = - (MqSatPPu + LqPPu) * iqPu + MqSatPPu * iQ1Pu + MqSatPPu * iQ2Pu;
lambda_Q1Pu = - MqSatPPu * iqPu + (MqSatPPu + LQ1PPu) * iQ1Pu + MqSatPPu * iQ2Pu;
lambda_Q2Pu = - MqSatPPu * iqPu + MqSatPPu * iQ1Pu + (MqSatPPu + LQ2PPu) * iQ2Pu;

// Equivalent circuit equations in Park's coordinates
udPu = - RaPPu * idPu - omegaPu * lambda_dqPu + der(lambda_dPu)/SystemBase.omegaNom;
uqPu = - RaPPu * iqPu + omegaPu * lambda_dPu + der(lambda_dqPu)/SystemBase.omegaNom;
Uf0Pu = RfPPu * ifPu + der(lambda_fPu)/SystemBase.omegaNom;
0 = RDPPu * iDPu + der(lambda_DPu)/SystemBase.omegaNom;
0 = RQ1PPu * iQ1Pu + der(lambda_Q1Pu)/SystemBase.omegaNom;
0 = RQ2PPu * iQ2Pu + der(lambda_Q2Pu)/SystemBase.omegaNom;

// Mechanical equations
cmPu = Pm0Pu / omegaPu ;
cePu = - lambda_dqPu * idPu + lambda_dPu * iqPu;
2*H*der(omegaPu) = (cmPu - cePu);
der(theta) = omegaPu * SystemBase.omegaNom;

// Mutual inductances saturation
lambdaADPu = MdSatPPu * (- idPu + ifPu + iDPu);
lambdaAQPu = MqSatPPu * (- iqPu + iQ1Pu + iQ2Pu);
lambdaAirGapPu = sqrt(lambdaADPu ^ 2 + lambdaAQPu ^ 2);
mdsPu = MdPPu / (1 + md * lambdaAirGapPu ^ nd);
mqsPu = MqPPu / (1 + mq * lambdaAirGapPu ^ nq);
cos2Eta = lambdaADPu ^ 2 / lambdaAirGapPu ^ 2;
sin2Eta = lambdaAQPu ^ 2 / lambdaAirGapPu ^ 2;
miPu = mdsPu * cos2Eta + mqsPu * sin2Eta;
MdsatPPu = miPu + MsalPu * sin2Eta;
MqsatPPu = miPu - MsalPu * cos2Eta;

annotation(
    {
        :orSynchronousThreePhase;
    }
);

```

## Test case: CIGRE HV transmission benchmark system

### Initialization

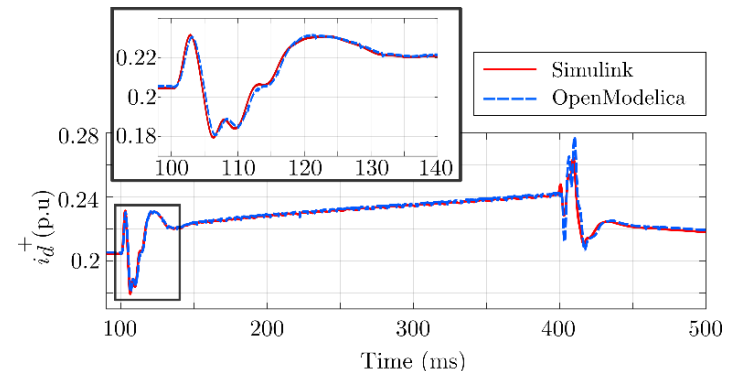
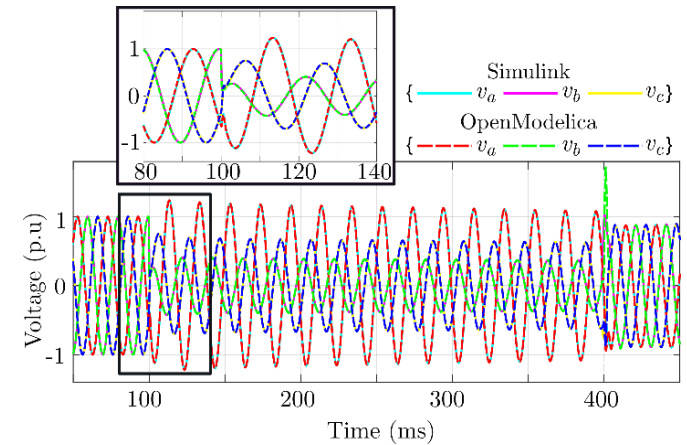
- Initial steady-state (or sufficiently approximate) values need to be provided to make initialization stable.
- Since there is index reduction going on, all of the states in the system must be initialized adequately.
- Dynamic power grid models require the results of a load-flow to set up initial values
- As OpenModelica lacks a power flow computation tool → Simulink's load flow values entered manually

Providing load flow init values → steady-state at 50 s  
Without providing any initialization scheme → simulation fails at initialization

# Test case: CIGRE HV transmission benchmark system

## Comparison methodology

- Four events simulated to study the system behaviour
- Analysis of the interaction between the power converter and the grid.
- Results obtained in OM compared against same model in Simulink.
- Simulations run on a desktop with AMD Ryzen Threadripper 2950X 16-Core 3.50 GHz Processor and 32 GB of RAM under Windows 10 64-bit.



## OpenModelica vs Simulink simulation performance

- Three-phase fault at bus 6 – 50/50.3 s, tStop = 70 s.
- Integration methods used in OpenModelica and Simulink are essentially different → fixed and variable time step.
- If using variable-time step solver in Simulink based on BDF → OM outperforms Simulink with the ratio of **5:1** (OM system with disconnected VSC)

Characteristics	OM system with connected VSC	OM system with disconnected VSC	Simulink system
nb variables	4320	3128	-
Solver	DASSL (order 5)	DASSL (order 5)	Backward Euler
Tolerance	1e-4	1e-4	-
$\Delta t$ max	25 $\mu$ s	25 $\mu$ s	25 $\mu$ s
$\Delta t$ min	0.12 $\mu$ s	0.13 $\mu$ s	25 $\mu$ s
Steps taken	39,056,194	778,739	-
ODE function calls	73,551,404	1,537,703	-
J-evaluations	14,188,205	183,749	-
J-evaluation time (s)	11,428	131	-
Total simulation time (s)	25,449	992	2133

Costly Jacobian evaluation

Due to oscillations in VSC DSRF control

OpenModelica outperforms Simulink with the ratio of **2.15:1**

## OM 1.18.0 vs OM 1.18.1 simulation performance

- Three-phase fault at bus 6 – 50/50.3 s, tStop = 70 s.

Characteristics	OM 1.17	OM 1.18	Simulink system
nb variables	4320	3128	-
Solver	DASSL (order 5)	DASSL (order 5)	Backward Euler
Tolerance	1e-4	1e-4	-
$\Delta t$ max	25 $\mu$ s	25 $\mu$ s	25 $\mu$ s
$\Delta t$ min	0.12 $\mu$ s	0.112 $\mu$ s	25 $\mu$ s
Steps taken	39,056,194	33,371,799	-
ODE function calls	73,551,404	62,970,161	-
J-evaluations	14,188,205	12,170,676	-
J-evaluation time (s)	11,428	9,721	-
Total simulation time (s)	25,449	20,537	2133



20% speed up

## Experience in using OM for power systems with power converters

- ✓ OpenModelica has demonstrated an excellent potential for EMT-type modelling and simulation for future power systems.
- ✓ Modelica implementation of such models is easy and straightforward due to the native properties of the language: declarative and equation-based.
- ✓ Decoupling the models from numerical solvers offers outstanding flexibility compared to Simulink.
- ✓ Results confirmed a notable overall agreement between OM and Simulink
- ❖ In general terms, OM performance for the studied system is not satisfactory compared to Simulink.
- ❖ The lack of a load flow computation tool is a major barrier for power system simulation.



## Conclusions and future work

- OpenModelica is a promising environment for power system simulation
  - ➔ **Collaboration, flexibility, transparency and interoperability**
- Remarkable opportunities afforded by this new approach to software development
- Future works include:
  - Testing larger transmission power networks
  - Implementing initialization routines to avoid explicitly entered load flow data
  - Analyse systems with a higher share of RES.
  - Linearization capabilities for converter control structures

# Q & A